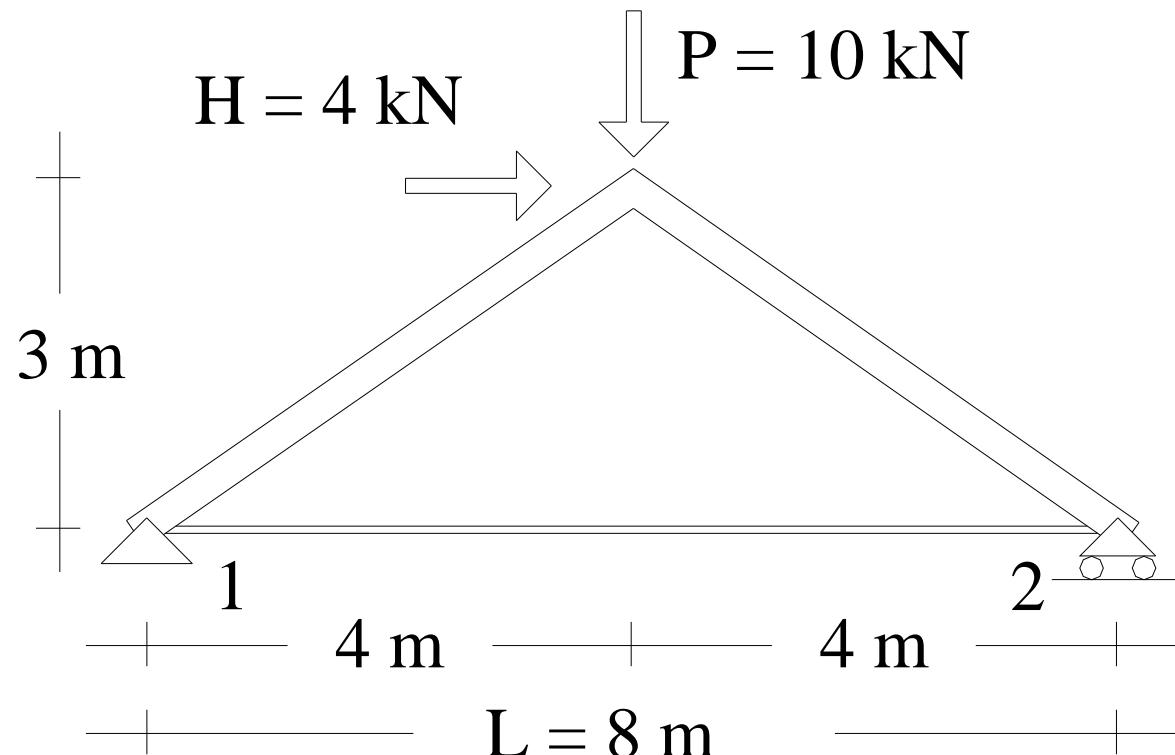
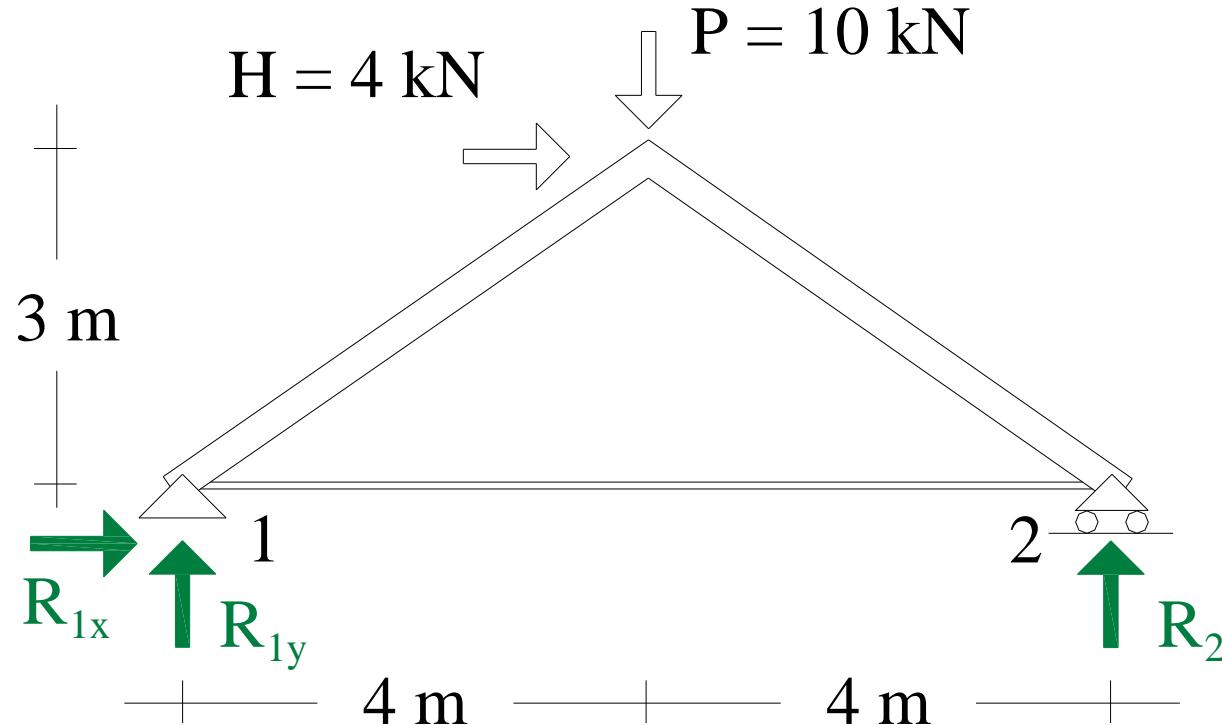


# statical analysis of a simple truss

## (a very first example)



# static determinacy discussion

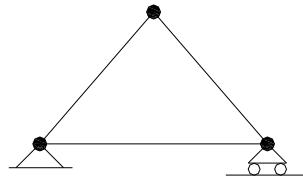


Unknowns: 3 reactions + 3 internal forces = 6

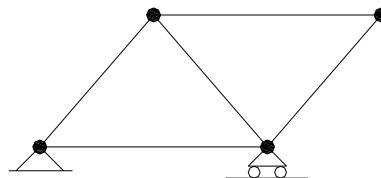
Equations : 3 joints x 2 equations / joint = 6

**necessary but not sufficient condition !!!**

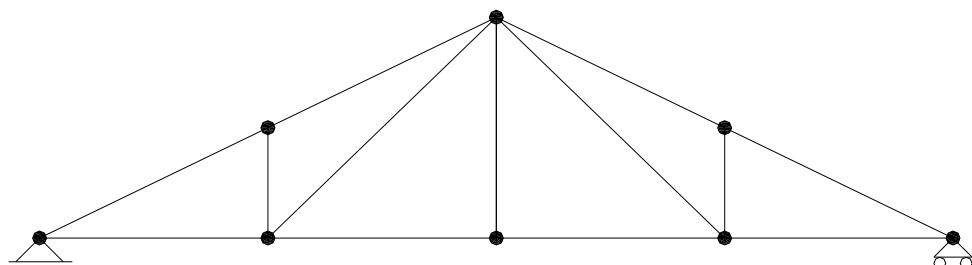
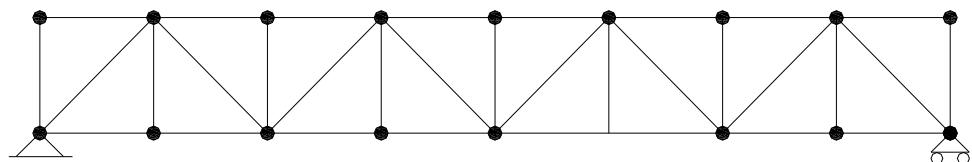
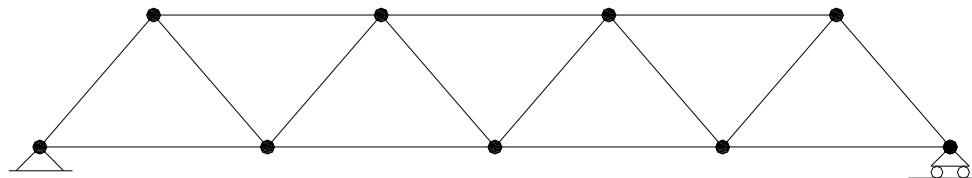
# 'canonical' statically determinate trusses



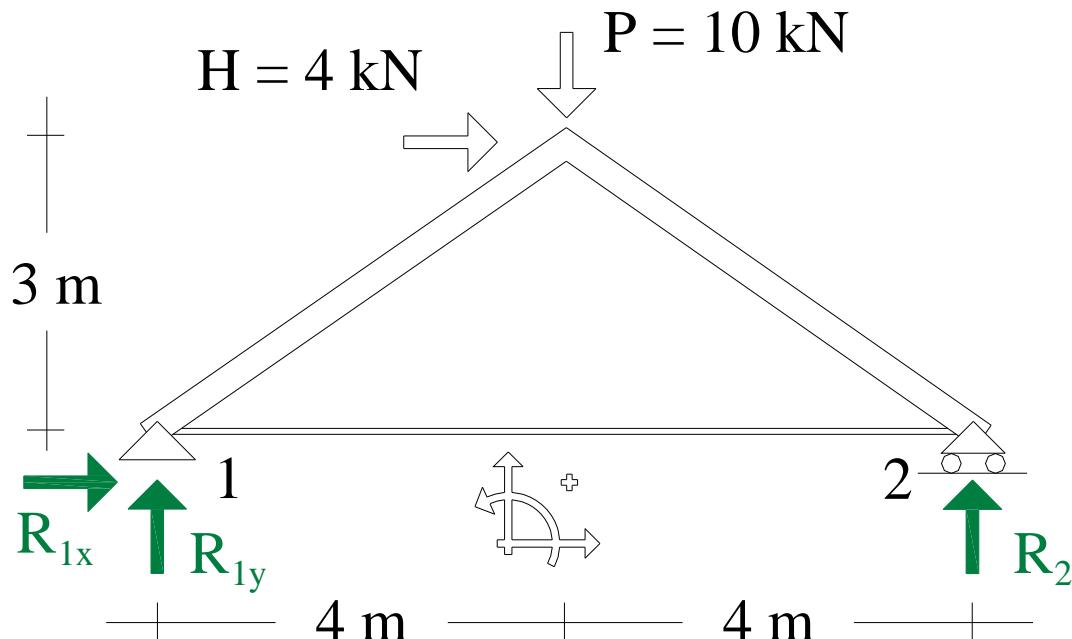
STATICALLY DETERMINATE  
( $3 + 3 = 6$  UNKNOWN EXTERNAL/INTERNAL FORCES)  
( $3 \times 2 = 6$  EQUILIBRIUM EQUATIONS)



+ 2 BARS (2 UNKNOWN INTERNAL FORCES)  
+ 1 JOINT (2 EQUILIBRIUM EQUATIONS)



# ‘external’ forces equilibrium: applied forces → reaction forces



$$\sum F_x = 0 : R_{1x} = -4 \text{ kN}$$

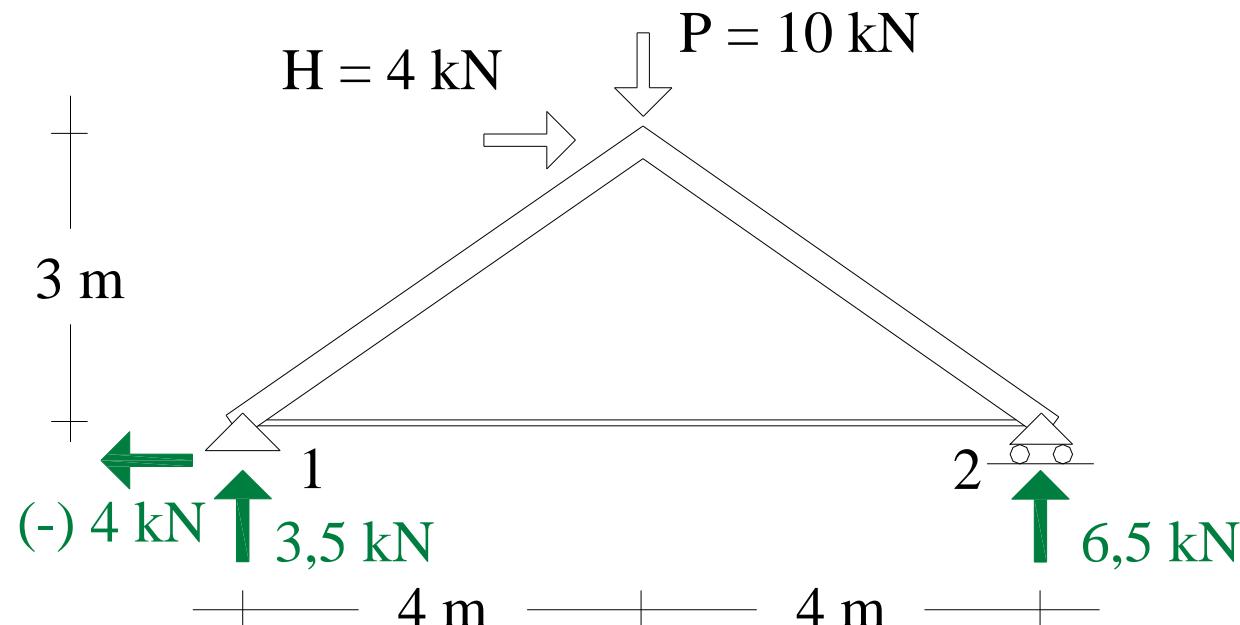
$$\sum F_y = 0 : -10 + R_{1y} + R_2 = 0 : R_{1y} + R_2 = 10 \text{ kN}$$

$$\sum M_2 = 0 : 10 \cdot 4 - 4 \cdot 3 - R_{1y} \cdot 8 = 0$$

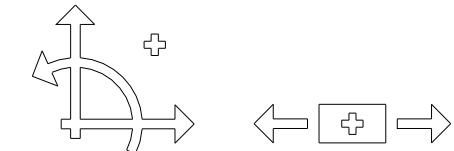
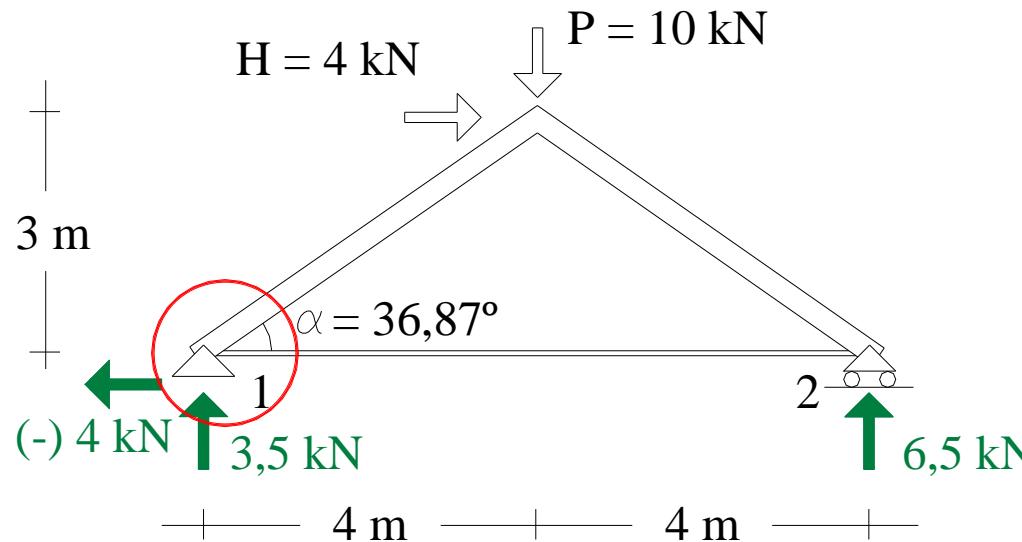
$$R_{1y} = 3,5 \text{ kN}$$

$$R_2 = 6,5 \text{ kN}$$

# applied and reaction forces equilibrium



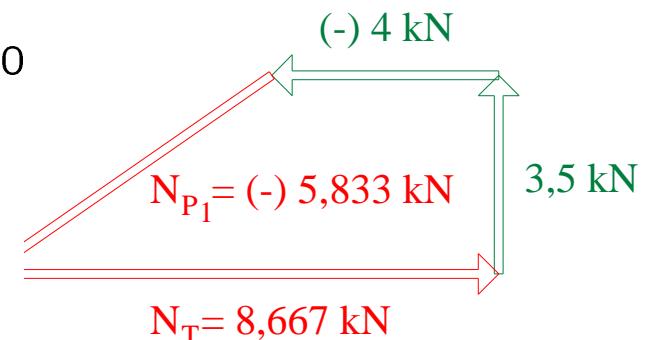
# 'internal' equilibrium → axial forces



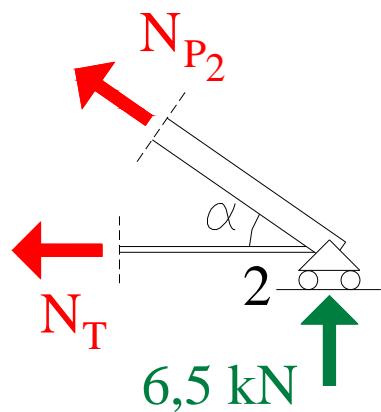
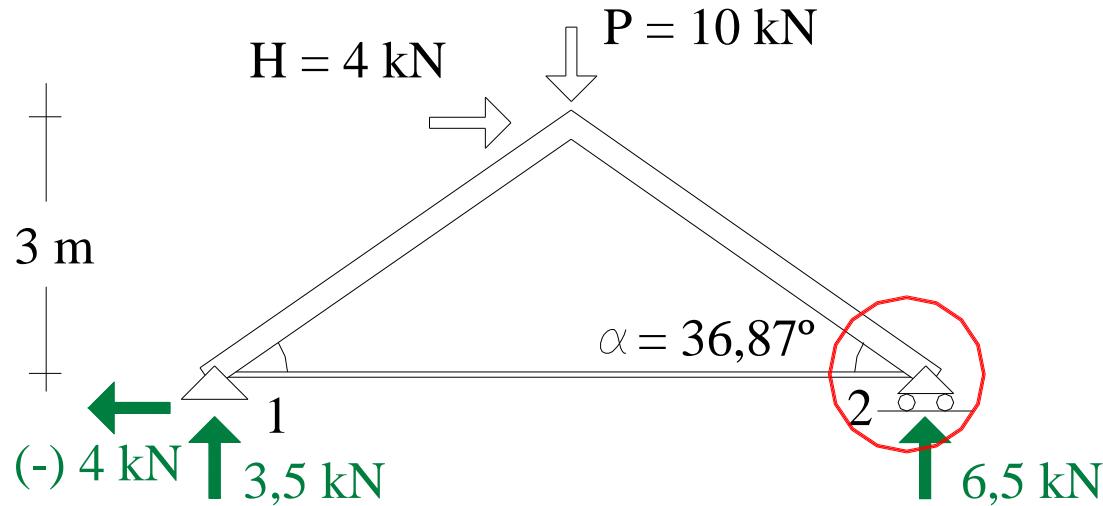
$$\begin{aligned}\sum F_x &= 0 : -4 + N_{P1} \cos\alpha + N_T = 0 \\ \sum F_y &= 0 : 3,5 + N_{P1} \sin\alpha = 0\end{aligned}$$

$N_{P1} = (-) 5,833 \text{ kN}$

$N_T = 8,667 \text{ kN}$



# joints equilibrium → axial forces

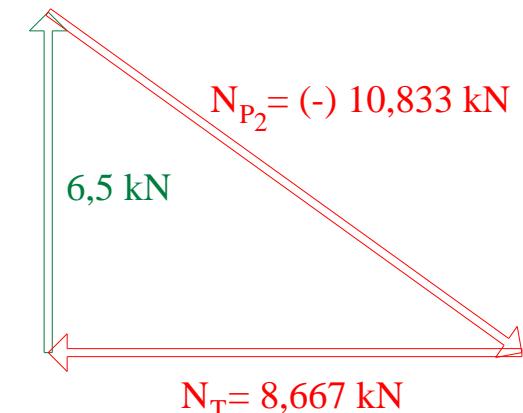
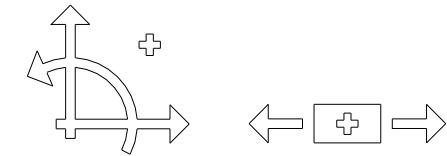


$$\sum F_x = 0 : -N_{P2} \cos\alpha - N_T = 0$$

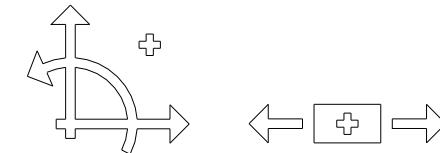
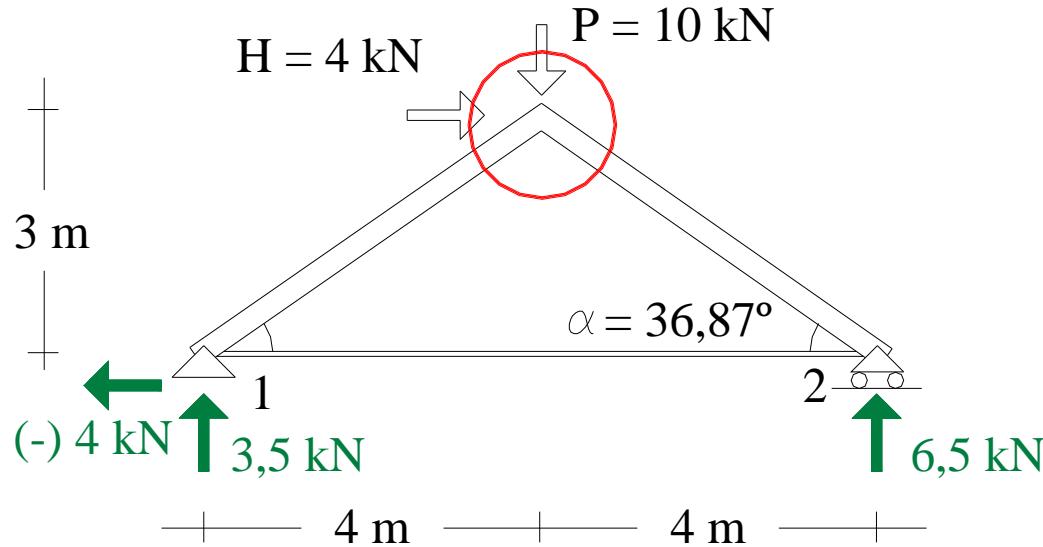
$$\sum F_y = 0 : 6,5 + N_{P2} \sin\alpha = 0$$

$$N_{P2} = -10,833 \text{ kN}$$

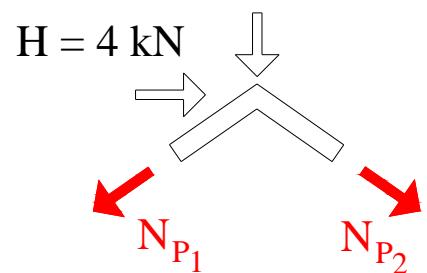
$$N_T = 8,667 \text{ kN}$$



# 'internal' equilibrium → 'internal forces'



$$P = 10 \text{ kN}$$

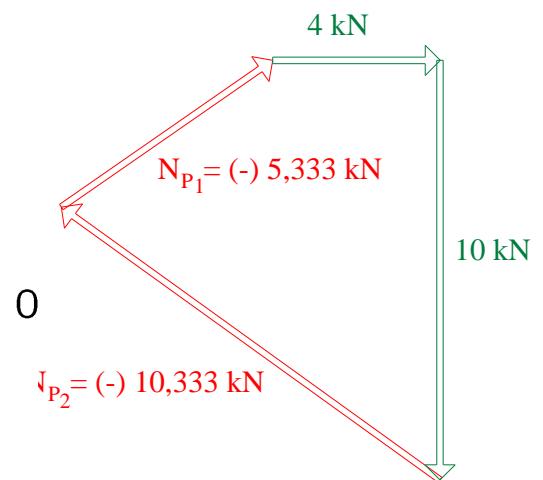


$$\sum F_x = 0 : 4 - N_{P1} \cos\alpha + N_{P2} \cos\alpha = 0$$

$$\sum F_y = 0 : -10 - N_{P1} \sin\alpha - N_{P2} \sin\alpha = 0$$

$$N_{P1} = -5,833 \text{ kN}$$

$$N_{P2} = -10,833 \text{ kN}$$



# equilibrium → reactions and axial forces

